

Energy, Work, and Power

I. Energy

- kinetic and potential
- conservation

II. Work

- dot product
- work-energy relations

III. Springs

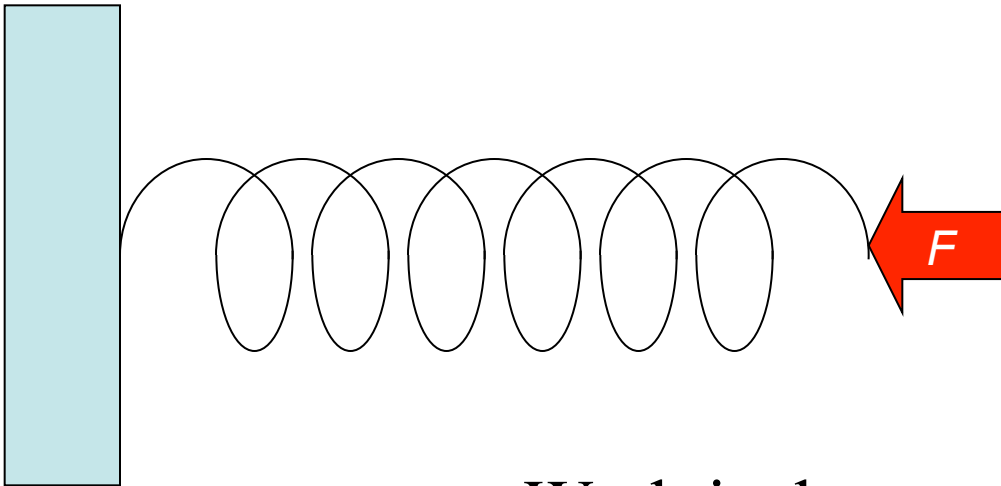
IV. Power

- machines and efficiency

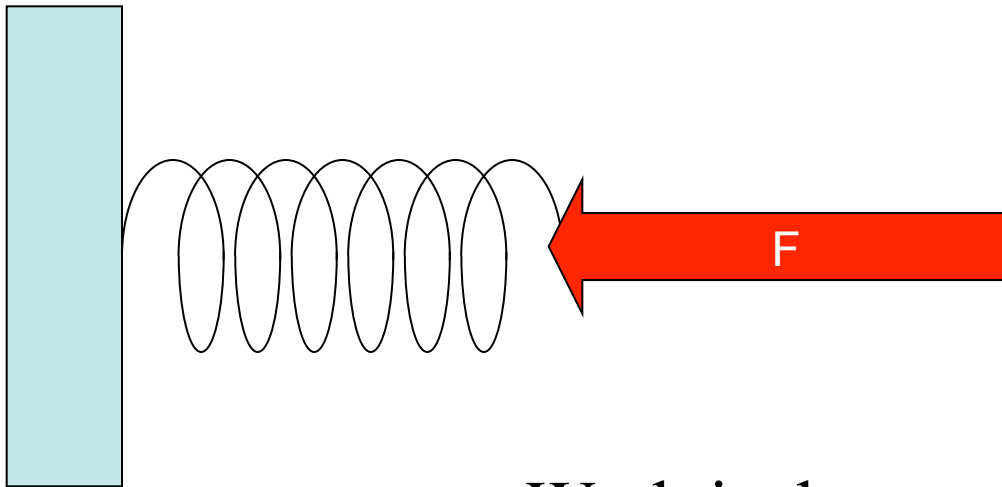
	The student will be able to:	HW:
1	Define and apply the concepts of kinetic and potential energy and use the conservation of energy to explain physical phenomena. ✓	1 – 7
2	Calculate mechanical kinetic energy and gravitational potential energy (in Joules) and use conservation of energy to solve related problems. ✓	8 – 16
3	Define and calculate work and solve related problems. ✓	17 – 23
4	Relate and equate work and energy and solve related problems. ✓	24 – 30
5	Solve problems involving work and energy for a mass attached to a spring.	31 – 33
6	Define and calculate power (in Watts or horsepower) and solve related problems.	34 – 41
7	Solve problems involving machines and efficiency.	42 – 45

Work, Energy, and Springs

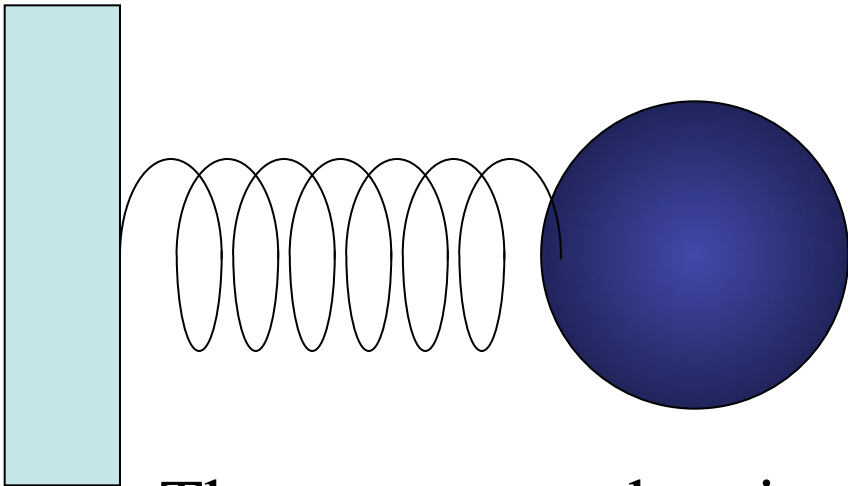
- As a spring stretches the force increases.
(Hooke's Law: $F = k \cdot x$)
- Work must be done on the spring to stretch it.
- The stretched spring can do work on an object as it returns to equilibrium.
- A stretched or compressed spring has **elastic potential energy**.



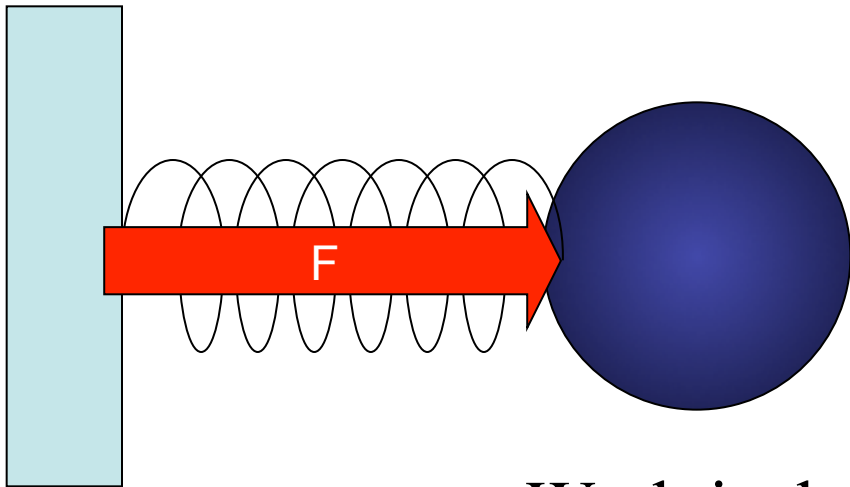
Work is done on the spring by an increasing applied force.



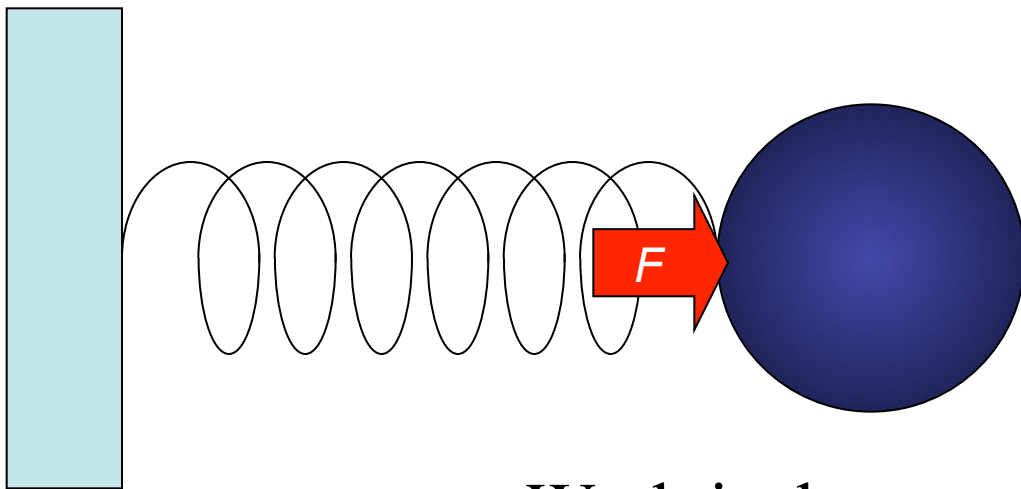
Work is done on the spring by an increasing applied force.



The compressed spring
represents potential energy.

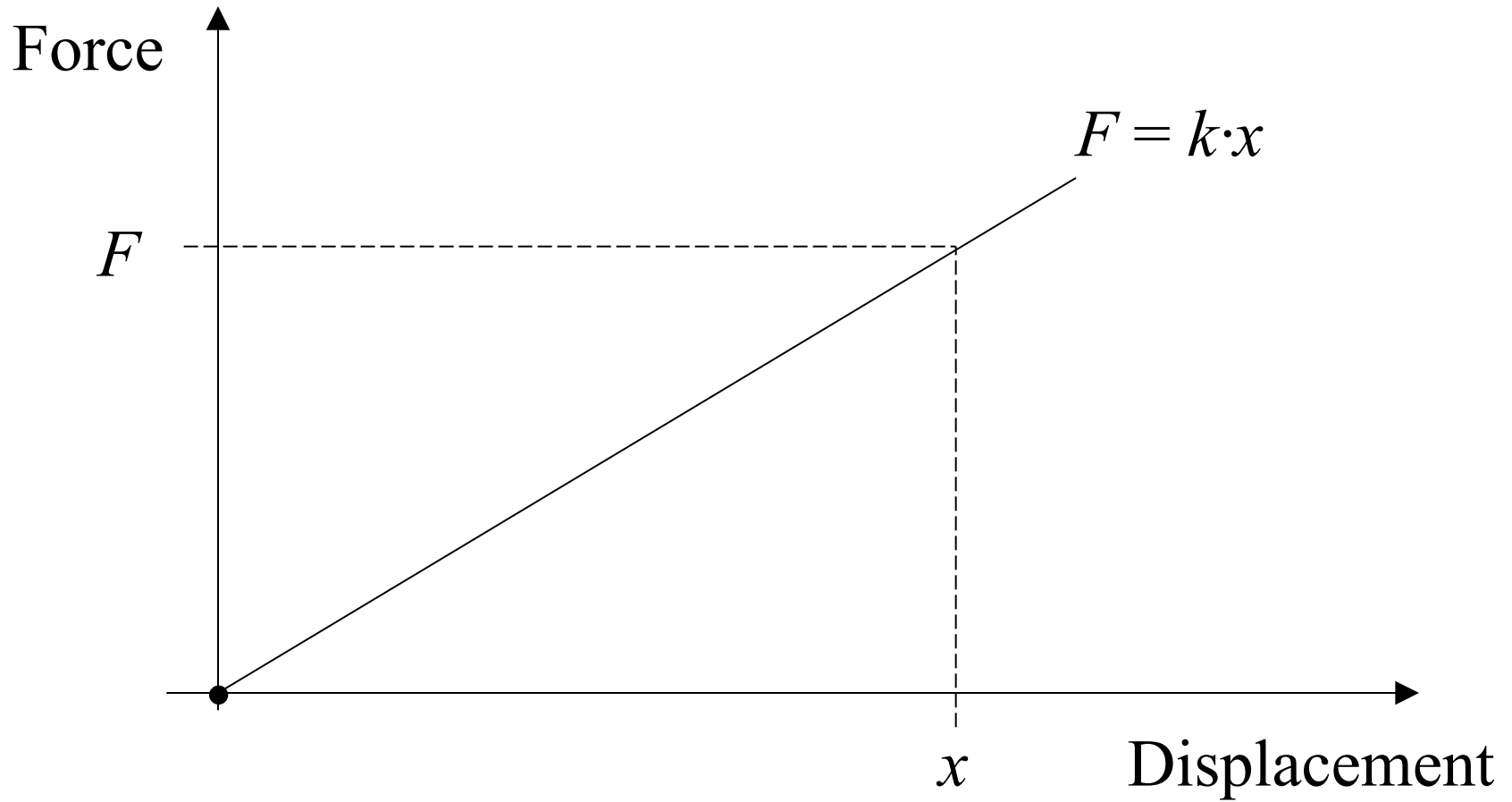


Work is done on the ball by a decreasing spring force.



Work is done on the ball by a decreasing spring force.

How much work is done on/by the spring?



The work is done by a force that varies from 0 to F , the average of which is $F/2$:

$$W = \mathbf{F} \cdot \mathbf{d} = (F/2) \cdot x = \frac{1}{2} Fx$$

$$F = k \cdot x$$

$$W = \frac{1}{2} (kx)x$$

$$W = \frac{1}{2} kx^2$$

$$EPE = \frac{1}{2} kx^2$$

Work done on spring

Energy in spring

Work can also be found by area under the curve.

